Use the following to review for you test. Work the Practice Problems on a separate sheet of paper.

Key Standards	Study Tips	Practice Questions
Parallel Lines and Transversals	 Congruent angles have <u>equal</u> measures If two parallel lines are cut by a transversal then two pairs of: Corresponding angles are <u>congruent</u> Alternate interior angles are <u>congruent</u> Alternate exterior angles are <u>congruent</u> Consecutive (same-side) angles are <u>supplementary</u> 	1. Find each angle measure. 1. Find each angle measure. 1. Find each angle measure. 1. Find each angle measure. 1. $M = \frac{1}{M}$ 1.
Identifying Congruent Parts	Triangles are congruent if they have the same size and shape . Their corresponding parts, the angles and sides that are in the same positions are congruent . $ABC \cong \triangle JKL$ $Corresponding Parts$ $Congruent Angles$ $Congruent Sides$ $ABC \cong \angle JKL$ $Corresponding Parts$ $Congruent Sides$ $ABC \cong \angle JKL$ $Corresponding Parts$ $Congruent Sides$ $AB \cong \angle K$ $BB \cong \angle K$ $CC \cong \angle L$ To identify corresponding parts of congruent triangles, look at the <u>order</u> of the vertices in the congruence statement .	2. A Which congruence statement correctly indicates that the two given triangles are congruent? A $\triangle ABC \cong \triangle EFD$ C $\triangle ABC \cong \triangle DEF$ B $\triangle ABC \cong \triangle FDE$ D $\triangle ABC \cong \triangle DEF$ B $\triangle ABC \cong \triangle FDE$ D $\triangle ABC \cong \triangle FED$ C $ABC \cong \triangle ST.$ What are the values of x and y? C $x = 26, y = 21\frac{1}{3}$ H $x = 25, y = 20\frac{2}{3}$ C $\triangle ABC \cong \triangle XYZ.$ m $\angle A = 47.1^{\circ},$ and m $\angle C = 13.8^{\circ}.$ Find m $\angle Y.$ A 13.8 C 76.2 B 42.9 D 119.1 D $\triangle MNR \cong \triangle SPQ, NL = 18, SP = 33, SR = 10, RQ = 24,$ and $QP = 30.$ What is the perimeter of $\triangle MNR?$ F 79 H 87 C 85 D 97
SSS, SAS, AAS, ASA, and HL	 Ways to Prove Triangles Congruent SSS (Side, Side, Side) three sides of one triangle SAS (Side, Angle, Side) two sides and the included angle ASA (Angle, Side, Angle) two angles and the included side AAS (Angle, Angle, Side) two angles and the non- 	3. Which of the three triangles below can be proven congruent by SSS or SAS?

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	hypotenuse and a leg of one right triangle Each are congruent to the corresponding parts of the other	$ \begin{array}{c} \textbf{D} \\ \textbf{Which of the following congruence statements is true?} \\ \textbf{(A)} \\ \boldsymbol{\angle A} \cong \boldsymbol{\angle B} \\ \textbf{(B)} \\ \boldsymbol{\overline{CE}} \cong \boldsymbol{\overline{DE}} \\ \textbf{(D)} \\ \boldsymbol{\triangle AED} \cong \boldsymbol{\triangle BEC} \\ \end{array} $
Proofs	State what is given first, and mark your picture! STEP 1: Write down the givens STEP 2: Make any marks that you know are congruent (reflexive, vertical, alternate interior angles, etc.) STEP 3: The last Statement will always be showing the Triangles are congruent (SSS, SAS, AAS, ASA, HL) If the last statement is congruent parts then use CPCTC – Congruent Parts of Congruent Triangles are Congruent	4. Complete each proof. Choice Bank: SSS SAS ASA AAS HL CPCIC Vertical Angles are \cong Reflexive Property Alternate Interior Angles \cong Right Angles are \cong Right Angles are \cong Reasons 1. $\overline{AB} \cong \overline{DC}$ 1. 2. $\overline{AC} \cong \overline{AC}$ 2. 3. $\angle ABC \cong \angle CDA$ 3. 4. $\triangle ABC \cong \triangle CDA$ 4. 8. Given: $\overline{RT} \cong \overline{TV}$, $\overline{ST} \cong \overline{TU}$ Prove: $\angle TSR \cong \angle TUV$ $\overline{Statements}$ 1. $\overline{RT} \equiv \overline{TV}$ 1. 2. 2 . Given 3. $\angle RTS \equiv \angle VTU$ 3. 4. $\triangle RTS \equiv \triangle VTU$ 4. 5. $\angle TSR \cong \angle TUV$ 5.
Identifying Constructions	Constructions are the drawing of various shapes using only a compass and ruler Recognize marking to construct the following figures: • Bisecting a segment • Constructing a circle • Copying an Angle • Copying a Segment • Perpendicular Bisector • Angle Bisector • Angle Bisector • Parallel Lines • Perpendicular Lines • Inscribed Polygons (equilateral triangle, square, hexagon)	 5. Match the following constructions. 1. Constructing Congruent Segments 2. Constructing Perpendicular Bisectors 3. Constructing Perpendiculars from Point on Line 4. Construct Perpendiculars from point not on Line 5. Constructing Congruent Angles 6. Constructing Parallel Lines 7. Constructing Parallel Lines 8. 9. 9. 9. 9. 9. 1.

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Dilations	 Dilation Another type of transformation Change in the size Requires a center point and scale factor 	6. Graph the dilated image of triangle JKL using a scale factor of 2 and (0,0) as the center of dilation. J: J': K: K': L: L':
	If a scale factor is: • Greater than 1, then your figure is an enlargement • Between 0 and 1, then your figure is an reduction	B P P P P P P P P P P P P P
		7. Use the given diagram to
		i.) identify corresponding equal angles
		ii.) write a similarity statement between two of the triangles
		iii.) write a proportion
	Similar Polygons are two	iv.) solve for the indicated variables using the proportion
	only if:	
	Corresponding	6/*
	congruent	G X H
	Corresponding	
	sides are	J
Similarity	proponional	Fill in the blanks below.
	Similar means same	T
	shape not pecessarily the	
	shape, not necessarily the same size.	B 15 10 C M 0
	shape, not necessarily the same size.	$\begin{array}{c} \textbf{B} \\ 15 \\ 24 \\ 24 \\ y \\ x \\ x$
	shape, not necessarily the same size. Similarity Ratio is the ratio of lengths of	$\begin{array}{c} \textbf{B} \\ 15 \\ \textbf{H} \\ \textbf{H} \\ \textbf{H} \\ \textbf{S2} \\ \textbf{S2} \\ \textbf{S2} \\ \textbf{M} \\ \textbf{M} \\ \textbf{K} \\ \textbf{S2} \\ \textbf{M} \\ \textbf{M} \\ \textbf{K} \\ \textbf{M} \\ \textbf{M} \\ \textbf{K} \\ \textbf{M} \\ $
	shape, not necessarily the same size. Similarity Ratio is the ratio of lengths of corresponding sides of	$B \qquad 15 \qquad 10 \qquad C \qquad M \qquad 0 \qquad 0$
	shape, not necessarily the same size. Similarity Ratio is the ratio of lengths of corresponding sides of two similar polygons	$B \xrightarrow{15} 10 \xrightarrow{10} 10 \xrightarrow{1} 10 \xrightarrow{1} 10 \xrightarrow{1} 10 \xrightarrow{1} 10 \xrightarrow{1} 15 \xrightarrow{0} 10 \xrightarrow{1} 15 \xrightarrow{0} 12 \xrightarrow{1} 15 \xrightarrow{0} 12 \xrightarrow{1} 12 $
	shape, not necessarily the same size. Similarity Ratio is the ratio of lengths of corresponding sides of two similar polygons	$B \xrightarrow{15} 10 \xrightarrow{10} 10 \xrightarrow{15} 20 \xrightarrow{9} y$ $AJKL \sim \Delta \underline{\qquad} M$ $AJKL \sim \Delta \underline{\qquad} M$ $Mhy? \xrightarrow{12} x = \underline{\qquad} x = \underline{\qquad}$
	shape, not necessarily the same size. Similarity Ratio is the ratio of lengths of corresponding sides of two similar polygons	B = 15 + 10 + 15 + 10 + 15 + 10 + 15 + 10 + 15 + 10 + 10