Name: $\qquad$ \# $\qquad$
Geometry: Period $\qquad$
Ms. Pierre
Date: $\qquad$
Use the following to review for you test. Work the Practice Problems on a separate sheet of paper.

| Key <br> Standards | Study Tips | Practice Questions |
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| Identifying three types of Transformations | Translation and Rotation keeps the orientation (direction) of the figure the same <br> Pre-image is the original figure, Image is the resulting figure | Match the term on the left to the correct expression on the right. <br> 1. transformation <br> A. A function that describes a change in the position, size, or shape of a figure. <br> 2. reflection <br> B. A function that slides a figure along a straight line. <br> 3. translation <br> C. A transformation that flips a figure across a line. |
| Translations | A figure "slides" horizontally, vertically, or both. <br> A positive integer describes a translation right or up on a coordinate plane. A negative integer describes a translation left or down on a coordinate plane. | 4. <br> (A) Multistep Graph triangle $X Y Z$ with vertices $X(-2,-5)$, $Y(2,-2)$, and $Z(4,-4)$ on the coordinate grid. <br> B On the same coordinate grid, graph and label triangle $X^{\prime} Y^{\prime} Z^{\prime}$, the image of triangle $X Y Z$ after a translation of 3 units to the left and 6 units up. <br> C Now graph and label triangle $X^{\prime \prime} Y^{\prime \prime} Z^{\prime \prime}$, the image of triangle $X^{\prime} Y^{\prime} Z^{\prime}$ after a translation of 1 unit to the left and 2 units down. <br> D Analyze Relationships How would you describe the translation that maps triangle $X Y Z$ onto triangle $X^{\prime \prime} Y^{\prime \prime} Z^{\prime \prime}$ ? |
| Reflections | A figure is "flipped" over a line of symmetry. A reflection produces a mirror image of a figure. <br> Reflect a figure over the x-axis- when reflecting over the $x$-axis, change the $y$ coordinates to their opposites. ( $\mathbf{x},-\mathbf{y}$ ) <br> Reflect a figure over the $y$ -axis- when reflecting over the $y$-axis, change the $x$ coordinates to their opposites. (-x, y) | 5. <br> Graph the image of the figure shown after a reflection across the $y$-axis. <br> B On the same coordinate grid, graph the image of the figure you drew in part a after a reflection across the $x$-axis. <br> C Make a Conjecture What other sequence of transformations would produce the same final image from the original preimage? Check your answer by performing the transformations. Then make a conjecture that generalizes your findings. $\qquad$ $\qquad$ $\qquad$ $\qquad$ |


| Rotations | A figure "turns" about a fixed point at a given angle and a given direction. <br> 90 degree counterclockwise rotation around the origin ( 0,0 ), use:(-y, $\mathbf{x}$ ) <br> 180 degree rotation around the origin ( 0,0 ), use: $(-x,-y)$ <br> 270 degree counterclockwise rotation around the origin ( 0,0 ), use:( $\mathbf{y},-\mathbf{x}$ ) | Draw the image of the figure after the given rotation about the origin. <br> 6. $180^{\circ}$ <br> 7. $270^{\circ}$ counterclockwise |
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| Line Symmetry | A figure has symmetry if there is a transformation of the figure such that the image coincides with the pre-image <br> A figure has line symmetry if it can be reflected across a line so that the image coincides with the pre-image. | 8. Explain whether each figure has line symmetry. <br> A <br> B <br> C <br> D <br> E <br> F |
| Rotational Symmetry | A figure has rotational symmetry if it can be rotated about a point by an angle greater than $0^{\circ}$ and less than $360^{\circ}$ so that the image coincides with the pre-image. | 9. Explain whether each figure has rotational symmetry. If so, give the angle of rotational symmetry and the order of the symmetry. <br> (A) <br> B <br> c <br> D <br> E <br> F |



